	MATH 351 – Complex Analysis I								
	Department of Mathematics and Computer Sciences								
Methods of Instruction	Theor.	Appl.	Lab.	Intern.	Project/Field Work	Other	Total	Credit	ECTS Credit
	56	-	-	-	-	-	56	(4 0 4)	7
Semester	Summer 2008								
Instructor	e-mail:	sezgin@c	ankaya.eo		:: +90 312 2844 <u>~sezgin</u>	-500 Ext:	307)		
Schedule	-			13, Tuesda 5:30 B-314	y 13:40 − 15:30	) B-314, '	Wednesd	ay 09:40 -	- 11:30
Office Hours	Monday	12:40 -	13:30, Th	ursday: 12:	40 - 13:30				
Prerequisite	None	None							
Catalog Description	numbers Cauchy- trigonon hyperbo	s; regions Riemann netric and lic and	on the p equatio l hyperbo trigonom	plane; funct ns; analyt plic functio etric funct	coordinates and tions; mappings ic functions; ons; logarithmic ions; contour rmula; fundam	s and lim harmonic function integrals	its; conti c function and its ; antider	nuity; der ons; expo branches; ivatives;	ivatives; onential; inverse Cauchy-
Textbook	-	Complex Variables and Applications, Seventh Edition, R. V. Churchill, J. W. Brown, McGraw-Hill, 2003.							
Reference Books	-	x Analysi Jones an			nd Engineering,	, Fifth Ed	ition, J.H	. Mathews	s, R.W.
						Number of	f	Perc	entages
Evaluation Criteria	Midterm Exams					2		30	+ 30
			Quiz			-			-
		Нс	mework			-			-
		]	Project			-			
	Term Homework -								
	Laboratory Work -								
		Class ]	Participat	ion		5 -			-
	Final Exam140								40

## First Midterm Exam: 14 July 2008

Second Midterm Exam: 04 August 2008

Course Description Details						
Week	Dates	Topics covered				
1	18.06 – 24.06	<ol> <li>Sums and Products</li> <li>Basic Algebraic Properties</li> <li>Further Properties</li> <li>Moduli</li> <li>Complex Conjugates</li> <li>Exponential Form</li> <li>Products and Quotients in Exponential Form</li> <li>Roots of Complex Numbers</li> <li>Regions in the Complex Plane</li> </ol>				
2	25.06 - 01.07	<ol> <li>Functions of a Complex Variable</li> <li>Mappings</li> <li>Mappings by the Exponential Function</li> <li>Limits</li> <li>Theorems on Limits</li> <li>Limits involving the point at infinity</li> <li>Continuity</li> <li>Derivatives</li> <li>Differentiation Formulas</li> <li>Cauchy-Riemann Equations</li> <li>Sufficient Conditions for Differentiability</li> <li>Polar Coordinates</li> <li>Analytic Functions</li> </ol>				
3	02. 07 – 08. 07	<ul> <li>25 Harmonic Functions</li> <li>26 Uniquely Determined Analytic Functions</li> <li>27 Reflection Principle</li> <li>28 The Exponential Function</li> <li>29 The Logarithmic Function</li> <li>30 Branches and Derivatives of Logarithms</li> <li>31 Some Identities Involving Logarithms</li> <li>32 Complex Exponents</li> <li>33 Trigonometric Functions</li> <li>34 Hyperbolic Functions</li> <li>35 Inverse Trigonometric and Inverse Hyperbolic Functions</li> <li>36 Derivatives of Functions</li> </ul>				
4	09. 07 – 15. 07	<ul> <li>37 Definite Integrals of Functions</li> <li>38 Contours</li> <li>39 Contour Integrals</li> <li>40 Examples</li> <li>41 Upper Bounds for Moduli of Contour Integrals Antiderivatives</li> <li>42 Examples</li> <li>43 Cauchy-Goursat Theorem</li> <li>44 Proof of the Theorem</li> <li>Simply and Multiply Connected Domains</li> </ul>				
5	16. 07 – 22. 07	<ul> <li>45 Cauchy Integral Formaula</li> <li>46 Derivatives of Analytic Functions</li> <li>47 Liouville's Theorem and the Fundamental Theorem of Algebra</li> <li>Maximum Modulus Principle</li> </ul>				
6	23. 07 – 29. 07	48       Convergence of Sequences         49       Convergence of Series         50       Taylor Series         51       Examples         52       Laurent Series         53       Examples         Absolute and Uniform Convergence of Power Series				
7	30. 07 - 05. 08	54 Continuity of Sums of Power Series 55 Integration and Differentiation of Power Series 56 Uniqueness of Series Representations Multiplication and Division of Power Series				